CS380: Computer Graphics Interacting with a 3D World

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Class Objectives

- Read a mesh representation
- Understand a selection method and a virtual-trackball interface
- Related chapter: Chapter 5, Interaction



Primitive 3D

• How do we specify 3D objects?

- Simple mathematical functions, z = f(x,y)
- Parametric functions, (x(u,v), y(u,v), z(u,v)
- Implicit functions, f(x,y,z) = 0

Build up from simple primitives

- Point nothing really to see
- Lines nearly see through
- Planes a surface



Simple Planes or Facets

- Surfaces modeled as connected planar facets
 - N (>3) vertices, each with 3 coordinates
 - Minimally a triangle





Why Triangles?

Triangles are commonly used

Triangles are simple and convex

• Why is convexity important?

 Simplify rasterization processes, which will be discussed later





Why Triangles?

 Arbitrary polygons can be decomposed into triangles



n2

- Decomposing a convex n-sided polygon is trivial
 - Suppose the polygon has ordered vertices {v₀, v₁, ... v_n}
 - It can be decomposed into triangles {(v₀, v₁, v₂), {v₀, v₂, v₃), (v₀, v_i, v_{i+1}), ... (v₀, v_{n-1}, v_n)}
- Decomposing a non-convex polygon is non-trivial
 - Sometimes have to introduce new vertices



Why Triangles?

- Triangles can approximate any 2-dimensional shape (or 3D surface)
 - Polygons are a locally linear (planar) approximation
- Improve the quality of fit by increasing the number edges or faces





Specifying a Face

• Face or facet

Face [v0.x, v0.y, v0.z] [v1.x, v1.y, v1.z] ... [vN.x, vN.y, vN.z]

Sharing vertices via indirection





Vertex Specification

• Where

Geometric coordinates [x, y, z]

Attributes

- Color values [r, g, b]
- Texture Coordinates [u, v]

Orientation

- Inside vs. Outside
- Encoded implicitly in ordering





Normal Vector

• Often called normal, [n_x, n_y, n_z]



 Normal to a surface is a vector perpendicular to the surface

Will be used in illumination

• Normalized:
$$\hat{n} = \frac{[n_x, n_y, n_z]}{\sqrt{n_x^2 + n_y^2 + n_z^2}}$$

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Drawing Faces in OpenGL

```
glBegin(GL_POLYGON);
foreach (Vertex v in Face) {
    glColor4d(v.red, v.green, v.blue, v.alpha);
    glNormal3d(v.norm.x, v.norm.y, v.norm.z);
    glTexCoord2d(v.texture.u, v.texture.v);
    glVertex3d(v.x, v.y, v.z);
}
glEnd();
```

- Heavy-weight model
 - Attributes specified for every vertex

Redundant

- Vertex positions often shared by at least 3 faces
- Vertex attributes are often face attributes (e.g. face normal)



Decoupling Vertex and Face Attributes via Indirection

- Use vertex index for defining faces
- Works for many cases
 - Used with vertex array or vertex buffer objects in OpenGL
- Exceptions:
 - Regions where the surface changes materials
 - Regions of high curvature (a crease)





3D File Formats

- MAX Studio Max
- DXF AutoCAD
 - Supports 2-D and 3-D; binary
- 3DS 3D studio
 - Flexible; binary

VRML – Virtual reality modeling language

- ASCII Human readable (and writeable)
- OBJ Wavefront OBJ format
 - ASCII
 - Extremely simple
 - Widely supported



OBJ File Tokens

File tokens are listed below

some text

Rest of line is a comment

v float float float

A single vertex's geometric position in space

vn float float float

A normal

vt *float float*

A texture coordinate



OBJ Face Varieties

f int int int ... (vertex only)
or
f int/int int/int int/int ... (vertex & texture)

or

- f int/int int/int/int int/int/int ... (vertex, texture, & normal)
- The arguments are 1-based indices into the arrays
 - Vertex positions
 - Texture coordinates
 - Normals, respectively



OBJ Example

Vertices followed by faces

- Faces reference previous vertices by integer index
- 1-based

A simple cube v 1 1 1 v 1 1 -1 v 1 -1 1 v 1 -1 -1 v -1 1 1 v -1 1 -1 v -1 -1 1 v -1 -1 -1 f 1 3 4 f 5 6 8 f 1 2 6 f 3 7 8 f 1 5 7 f 2 4 8



OBJ Sources

Google "3d mesh obj"



- Most modeling programs export .OBJ files
- Most rendering packages read in .OBJ files



Picking and Selection

- Basic idea: Identify objects selected by the user
 - Click-selection: select one object at a time
 - Sweep-selection: select objects within a bounding rectangle



Demo (click h)



Picking and Selection

- Several ways to implement selection:
- Object-based approaches
 - Find screen space bounding boxes contained in pick region
 - Compute a pick ray and ray trace to find intersections
 - Related to collision detection and ray tracing

Image-space approaches

 Render to back buffer using colors that encode object IDs and return ID under pick point



Selection with the Back Buffer

- Selects only objects that are visible
- Render objects to back buffer with color that encodes ID
 - Back buffer is never seen
- Use glReadPixels() to read the pixel at the pick point

Front buffer



Back buffer



Interaction Paradigms

• Can move objects or camera

 Object moving is most intuitive if the object "sticks" to the mouse while dragging



Interaction Paradigms

Move w.r.t. to camera frame

- Pan move in plane perpendicular to view direction
- Dolly move along the view direction
- Zoom looks like dolly: objects get bigger, but position remains fixed
- Rotate
 - up/down controls elevation angle
 left/right controls azimuthal angle
- Roll spin about the view direction
- Trackball can combine rotate and roll



Interaction Paradigms

Move w.r.t to modeling (or world) frame



Combines both

- Presents a frame where you can drag w.r.t the world axes
- Dragging origin moves w.r.t. to camera frame





Interaction - Trackball

- A common UI for manipulating objects
- 2 degree of freedom device
- Differential behavior provides a intuitive rotation specification



Trackball demo





A Virtual Trackball

- Imagine the viewport as floating above, and just touching an actual trackball
- You receive the coordinates in screen space of the MouseDown() and MouseMove() events
- What is the axis of rotation?
- What is the angle of rotation?





Computing the Rotation

- Construct a vector \vec{a} from the center of rotation of the virtual trackball to the point of the MouseDown() event
- Construct a 2nd vector \overline{b} from the center of rotation for a given MouseMove() event $\vec{x} = \hat{a} \times \hat{b}$

• Normalize $\hat{a} = \frac{\hat{a}}{|\hat{a}|}$, and $\hat{b} = \frac{\hat{b}}{|\hat{b}|}$, and then compute

• Then find $oldsymbol{ heta} = cos^{-1} ig(\widehat{a} \cdot \widehat{b} ig)$ and construct



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